Supporting information

Balance between (de)hydrogenation and acid sites: comparison between sulfide-based and Pt-based bifunctional hydrocracking catalysts

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Effect of NH₃ on isomer yield

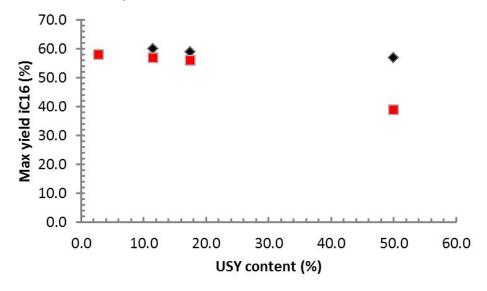


Figure S1. Maximum yield of $i-C_{16}$ for Pt-USY-Al₂O₃ catalysts with different USY content, in the presence of NH₃ (black diamond symbols) and in the absence of NH₃ (red squares).

Rate in the presence and absence of NH₃

According to the model of Degnan and Kennedy, the reaction rate can be written as

$$r = \frac{n_{acid} (1 - \theta_{acid}) k_{isom}}{p_{H2}} \cdot \frac{p_{nC16}}{1 + \frac{n_{acid} (1 - \theta_{acid})}{n_{metal} (1 - \theta_H)^2}} \frac{k_{isom}}{k_{deh}}$$

In the absence of NH₃, the coverage of acid sites is low and the expression can be simplified as

$$r = \frac{n_{acid}k_{isom}}{p_{H2}} \cdot \frac{p_{nC16}}{1 + \frac{n_{acid} \cdot K_{H2} \cdot p_{H2}}{n_{metal}} \frac{k_{isom}}{k_{deh}}$$

= $\frac{n_{acid}k_{0,isom}p_{nC16}}{p_{H2}} e^{-\frac{E_{isom}}{R_T}} \cdot \frac{1}{1 + \sigma \cdot K_{0,H2} \frac{k_{0,isom}}{k_{0,deh}} \cdot e^{-\frac{(E_{isom} - E_{deh} + \Delta H_{H2})}{k_{0,deh}}}$

In the presence of NH₃, the coverage of acid sites is governed by the adsorption of NH₃

$$r_{NH3} = \frac{n_{acid}k_{isom}}{p_{H2}} \frac{1}{K_{NH3}p_{NH3}} \cdot \frac{p_{nC16}}{1 + \frac{n_{acid}}{n_{metal}} \frac{K_{H2}p_{H2}}{K_{NH3}p_{NH3}} \frac{k_{isom}}{k_{deh}}$$

= $\frac{n_{acid}k_{0,isom}p_{nC16}}{p_{H2}} \frac{1}{K_{0,NH3}p_{NH3}} e^{-\frac{(E_{isom} - \Delta H_{NH3})}{RT}} \cdot \frac{1}{1 + \sigma \cdot \frac{k_{0,isom}}{k_{0,deh}} \frac{K_{0,H2}}{K_{0,NH3}p_{NH3}}} \cdot e^{-\frac{(E_{isom} - \Delta H_{NH3} - E_{deh} + \Delta H_{H2})}{RT}}$

If we admit that E_{deh} - ΔH_{H2} is smaller than E_{isom} and that the denominator is not dominating, then r \approx r_{NH3} if

$$\frac{1}{K_{0,NH3}p_{NH3}}e^{-(E_{isom}-\Delta H_{NH3})/RT_2} = e^{-E_{isom}/RT_1}$$

$$-\ln(K_{0,NH3}p_{NH3}) - \frac{E_{isom} - \Delta H_{NH3}}{RT_2} = -\frac{E_{isom}}{RT_1}$$

This fixes the relationship between the temperature T_2 in the presence of NH_3 , which leads to the same activity as T_1 in the absence of NH_3 .

We can now compare the terms $\epsilon^*\sigma$ for the two situations. In the absence of NH₃ at T₁, $\epsilon^*\sigma$ is

$$(\varepsilon \cdot \sigma)_1 = \frac{k_{c,0}}{k_{deh,0}} \cdot \frac{n_{acid}}{n_{metal}} \cdot K_{0,H2} \cdot e^{-(E_{crack} - E_{deh} + \Delta H_{H2})/RT_1}$$

In the presence of NH_3 , at T_2 we obtain

$$(\varepsilon \cdot \sigma)_2 = \frac{k_{c,0}}{k_{deh,0}} \cdot \frac{n_{acid}}{n_{metal}} \cdot \frac{K_{0,H2}}{K_{0,NH3}p_{NH3}} e^{-\frac{(E_{crack} - E_{deh} - \Delta H_{NH3} + \Delta H_{H2})}{RT_2}}$$

In order to improve the metal-acid balance by adding NH_3 (the inhibition being compensated by an increase of temperature from T_1 to T_2) and hence the selectivity, $(\epsilon^*\sigma)_1$ must be bigger than $(\epsilon^*\sigma)_2$.

$$\ln(\varepsilon \cdot \sigma)_{1} > \ln(\varepsilon \cdot \sigma)_{2}$$
$$-\frac{E_{c} - E_{deh} + \Delta H_{H2}}{RT_{1}} > -\ln(K_{0,NH3}p_{NH3}) - \frac{E_{c} - E_{deh} - \Delta H_{NH3} + \Delta H_{H2}}{RT_{2}}$$

In order to introduce the relationship between T_1 and T_2 , we define $\Delta E = E_c - E_{isom}$

$$\frac{\Delta E - E_{deh} + \Delta H_{H2}}{RT_1} < \frac{\Delta E - E_{deh} + \Delta H_{H2}}{RT_2}$$

Since $T_2 > T_1$, this relationship is true if $\Delta E - E_{deh} + \Delta H_{H2} < 0$. ΔE is close to zero (Thybaut 2005), E_{deh} has a positive value and ΔH_{H2} a negative value. We can, thus, be sure that the condition is fulfilled.